

**PHYS-E6570 Solar Energy Engineering (5 cr); 1<sup>st</sup> half-exam, 15 February 2016**

You may use a calculator in the exam.

1. You have two alternatives to choose from:

The Sun is a huge energy source driven by fusion reactions.

- Estimate Sun's radiative power based on its effective surface temperature and diameter.
- How large fraction of Sun's radiation hits the Earth?
- Estimate the solar constant (= incident radiation intensity per m<sup>2</sup> above the atmosphere).

The effective surface temperature of the Sun is 5762 K and its diameter is  $1.39 \times 10^9$  m. The mean distance between the Sun and the Earth is  $1.5 \times 10^{11}$  m, and the radius of the Earth 6370 km. Stefan Boltzmann constant is  $\sigma = 5.670373 \times 10^{-8} \text{ W m}^{-2} \text{ K}^{-4}$

**/OR/** Explain all main components and operating principle of a solar heating system.

2. The reflectance  $\rho$  of a surface is one of the key optical parameters in solar energy engineering. It determines both the absorptance  $\alpha$  and emittance  $\epsilon$  of a surface.
- Illustrate in a diagram the reflectance values (y-axis, 0-100%) as a function of the wavelength (x-axis, nm) of an ideal selective absorber for a solar thermal collector. What is the total absorptance and emittance values of an optimal selective absorber over the whole spectrum of interest?
  - Give 2 examples how to realize a selective absorber surface. Short answers only.
  - What is the equilibrium temperature of an ideal selective absorber in full sunshine? Stefan Boltzmann constant is  $\sigma = 5.670373 \times 10^{-8} \text{ W m}^{-2} \text{ K}^{-4}$
3. The amount of solar radiation on a surface can be increased through sun-tracking by following the movement of the sun and trying to minimize the incidence angle  $\theta_i$ .

Let's assume that we have a so-called 1-axis tracker with the following geometry: north-south axis (NS-axis) and east-west tracking (EW-tracking). The surface is vertical. Determine the incidence angle of beam radiation on the surface using the solar azimuth  $\gamma_s$  and solar zenith angles  $\theta_z$ .

4. A solar heating system consists of solar collectors that have the following parameter values:  $F_R \tau \alpha = 0.7$  and  $F_R U_L = 2 \text{ W/m}^2 \text{ K}$  in the Hottel-Whillier-Bliss (HWB) equation.
- What kind of collector could this be? (1p)
  - Draw the efficiency curve of the solar collector using  $(T_{fi} - T_a)/G$  as x-axis (2p)
  - How high temperature could the collector reach on a sunny warm summer day, if the circulation pump is turned off? (3p)
5. Give a short and precise answer to each of the following questions, 2-3 lines for each.
- Air mass
  - Maximum concentration ratio
  - Pyranometer
  - Ratio of diffuse radiation on a vertical surface to a horizontal surface
  - Amount of solar radiation on an optimally inclined surface: Helsinki, Vienna, Rome or a sun-belt country in kWh/m<sup>2</sup> per year. Choose one country only.
  - Thermosiphon